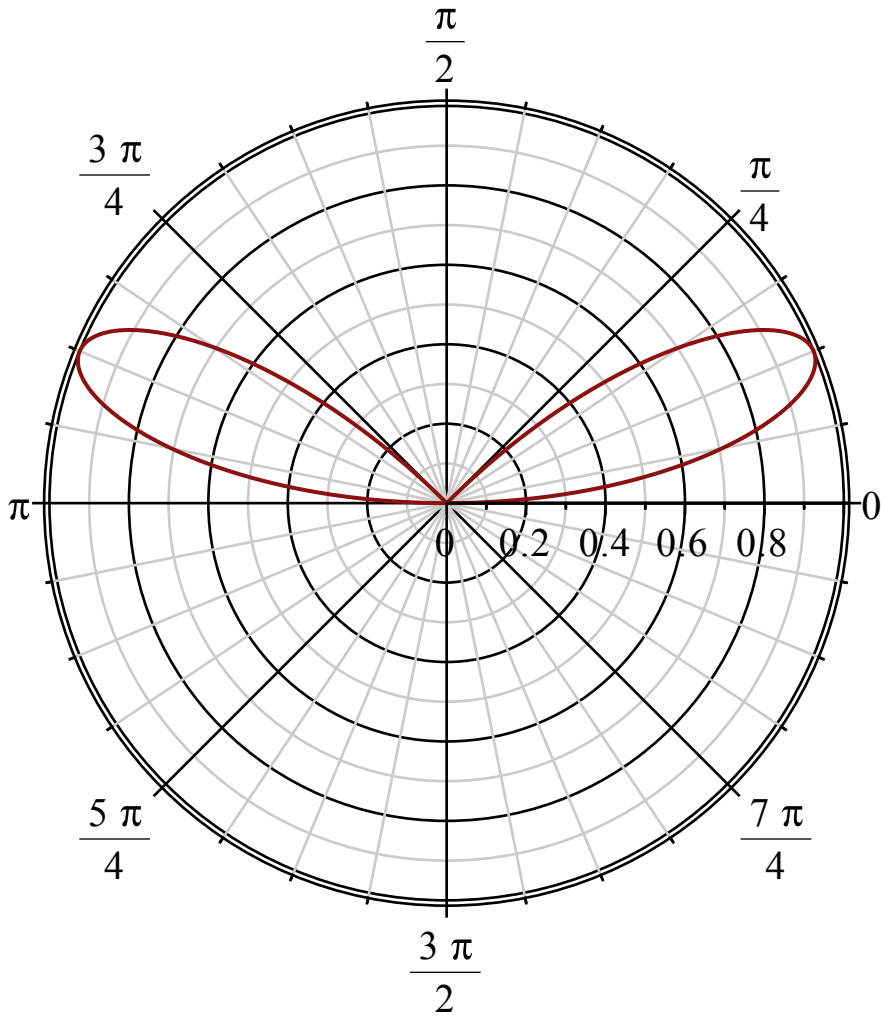


> with (plots) :

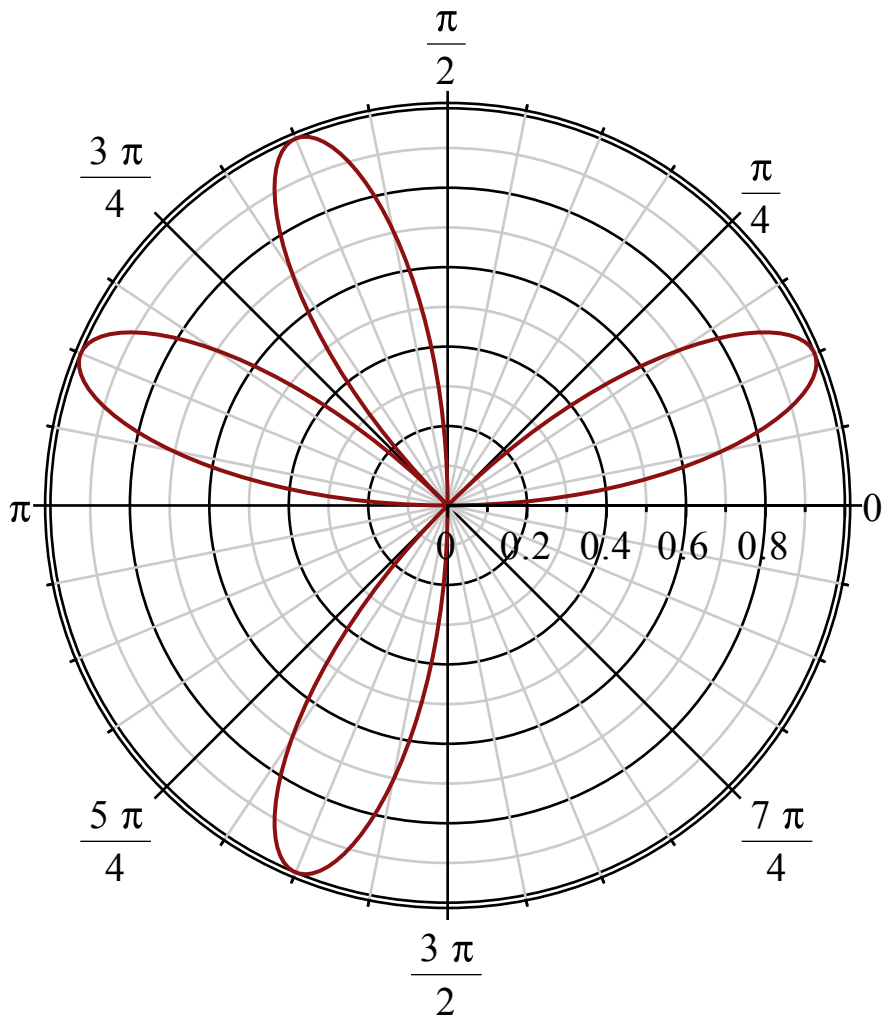
what we plotted today on one period

> $\text{polarplot}\left(\sin(4 \cdot t), t = -\frac{\pi}{4} \dots \frac{\pi}{4}\right)$



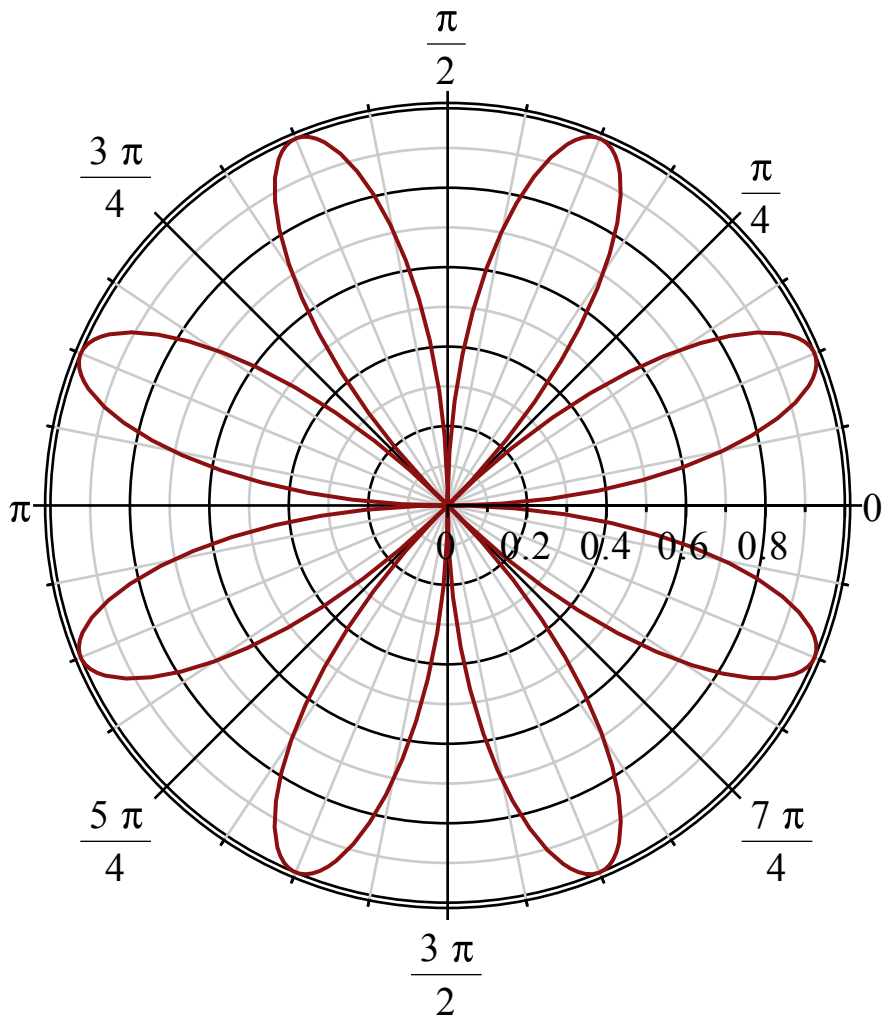
two periods (rotate the plot above by $\pi/2$)

> $\text{polarplot}\left(\sin(4 \cdot t), t = -\frac{\pi}{4} \dots \frac{3 \cdot \pi}{4}\right)$



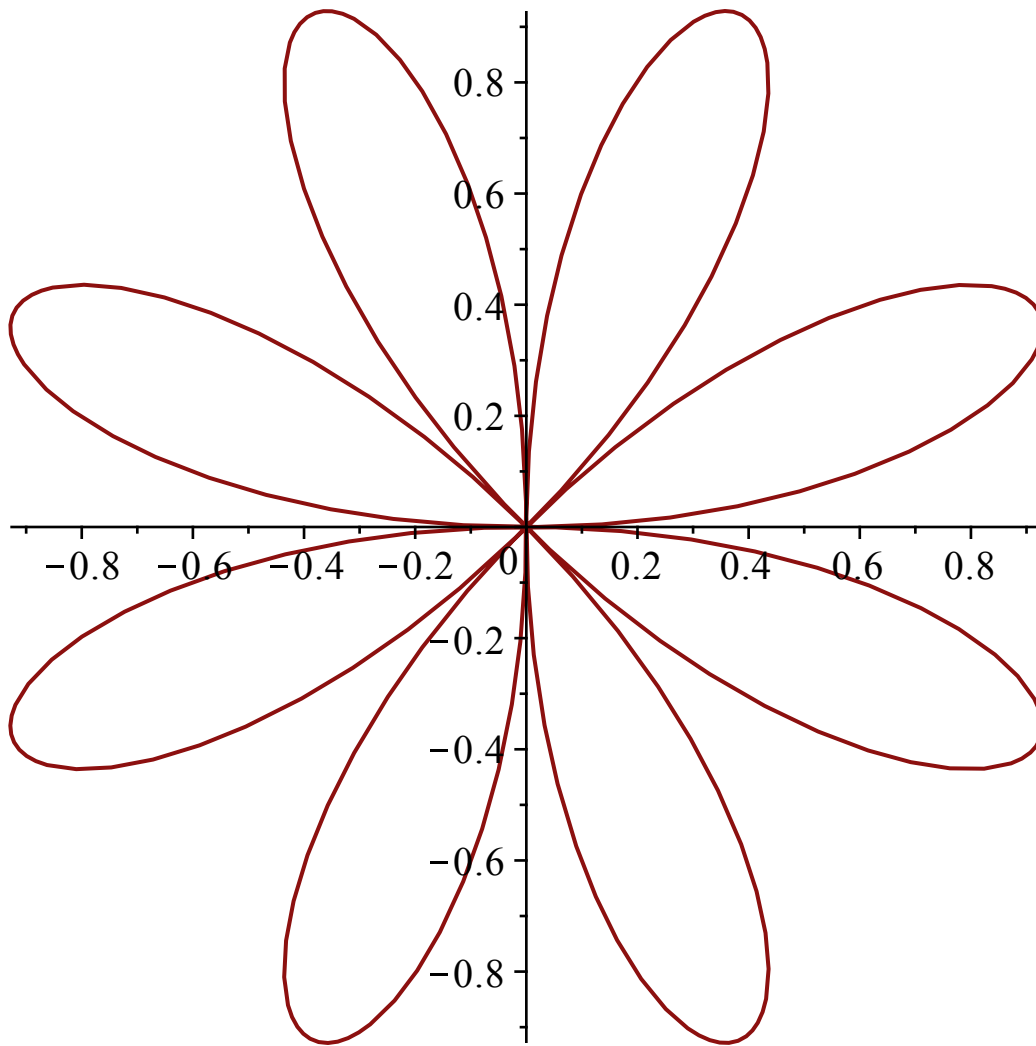
fill the plane (plot for t on an interval of length 2π , or, rotate again, and again)

> `polarplot` $\left(\sin(4 \cdot t), t = -\frac{\pi}{4} \dots \frac{7 \cdot \pi}{4}\right)$



same thing plotted in rectangular coordinates (using $x=r \cos(t)$, $y=r \sin(t)$ we write `plot([x,y,t=tmin..tmax]`)

> `plot([[sin(4·t)·cos(t), sin(4·t)·sin(t), t=- $\frac{\text{Pi}}{4}$.. $\frac{7 \cdot \text{Pi}}{4}$]])`



and now animate

```
> plots[animate](polarplot, [sin(4·t), t = 0 ..A], A = 0.01 ..2·Pi)
```

$$A = 6.2832$$

