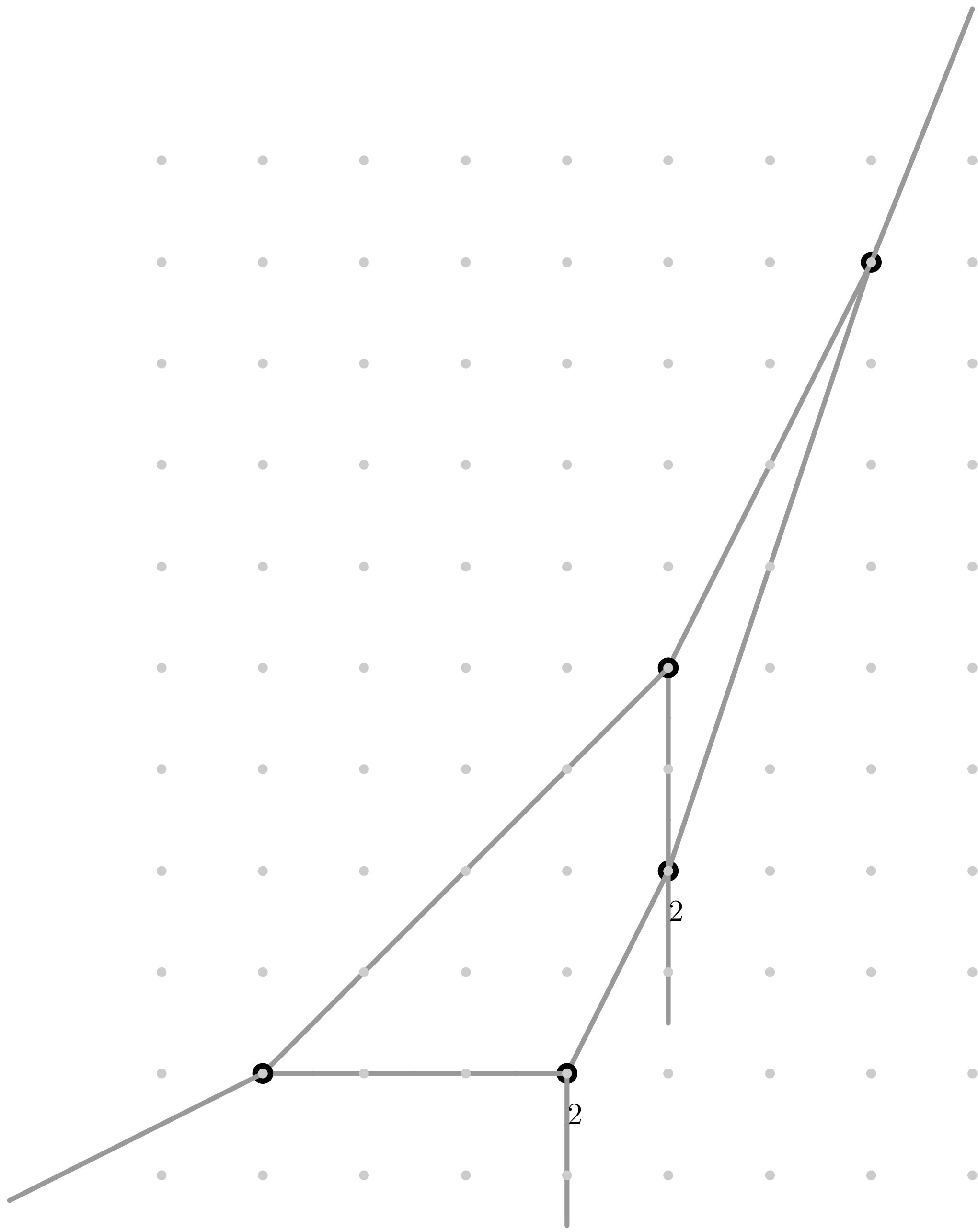
The Tropicalisation of

$$f = -x^5+(18\cdot t^2+30\cdot t^3+25\cdot t^4+283\cdot t^6+432\cdot t^7+181\cdot t^8+10\cdot t^9+t^{10}-2\cdot t^{12}+2\cdot t^{14})\cdot x^4+(-56\cdot t^4-270\cdot t^5+114\cdot t^6+432\cdot t^7-4376\cdot t^8-15672\cdot t^9-23007\cdot t^{10}-15958\cdot t^{11}-2479\cdot t^{12}+5542\cdot t^{13}+2021\cdot t^{14}-6444\cdot t^{15}-6791\cdot t^{16}-2222\cdot t^{17}+378\cdot t^{18}+884\cdot t^{19}-222\cdot t^{20}-874\cdot t^{21}-350\cdot t^{22}-10\cdot t^{23}-t^{24}+2\cdot t^{26}-t^{28})\cdot x^3+(-2-2\cdot t^2)\cdot x^2y+(-5202\cdot t^8-16626\cdot t^9-10522\cdot t^{10}+64460\cdot t^{11}+143307\cdot t^{12}+101756\cdot t^{13}-4124\cdot t^{14}-61418\cdot t^{15}-22990\cdot t^{16}+100958\cdot t^{17}+172444\cdot t^{18}+106024\cdot t^{19}+5106\cdot t^{20}-42456\cdot t^{21}-20449\cdot t^{22}+38854\cdot t^{23}+56949\cdot t^{24}+28028\cdot t^{25}-301\cdot t^{26}-10846\cdot t^{27}-3994\cdot t^{28}+6504\cdot t^{29}+6737\cdot t^{30}+2132\cdot t^{31}-409\cdot t^{32}-884\cdot t^{33}-49\cdot t^{34}+442\cdot t^{35}+169\cdot t^{36})\cdot x^2+(18\cdot t^2+30\cdot t^3+18\cdot t^4+30\cdot t^5-6\cdot t^6+6\cdot t^8+10\cdot t^9+12\cdot t^{10}+10\cdot t^{11}-2\cdot t^{12}+2\cdot t^{16})\cdot xy+y^2+(23409\cdot t^{10}+113832\cdot t^{11}+244872\cdot t^{12}+372744\cdot t^{13}+441936\cdot t^{14}+354114\cdot t^{15}+225198\cdot t^{16}+155880\cdot t^{17}+170574\cdot t^{18}+287142\cdot t^{19}+360657\cdot t^{20}+301164\cdot t^{21}+186033\cdot t^{22}+73230\cdot t^{23}+29050\cdot t^{24}+67180\cdot t^{25}+95727\cdot t^{26}+86716\cdot t^{27}+53945\cdot t^{28}+13724\cdot t^{29}-1214\cdot t^{30}+4294\cdot t^{31}+9071\cdot t^{32}+9884\cdot t^{33}+5870\cdot t^{34}+806\cdot t^{35}-338\cdot t^{36}+289\cdot t^{38}+442\cdot t^{39}+169\cdot t^{40})\cdot x$$

The vertices of the tropical curve are:

$$(-2,-6),\quad (0,0),\quad (-3,-8),\quad (-2,-4),\quad (-6,-8)$$



The Newton subdivision of the tropical curve is: