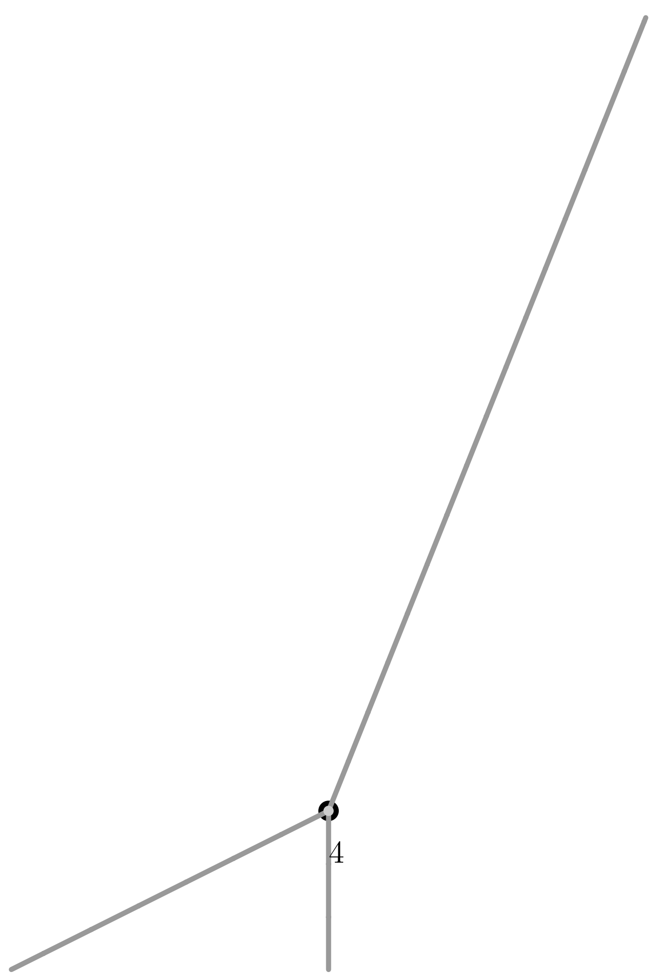
The Tropicalisation of

$$f = -x^5+(-123\cdot t^{20}-8\cdot t^{22}-4\cdot t^{24}+6\cdot t^{28}+8\cdot t^{29}+t^{36}+t^{38})\cdot x^4+(3093\cdot t^{40}-738\cdot t^{42}-393\cdot t^{44}-24\cdot t^{46}+780\cdot t^{48}+1104\cdot t^{49}+36\cdot t^{50}+48\cdot t^{51}+18\cdot t^{52}+24\cdot t^{53}+131\cdot t^{56}-48\cdot t^{57}+144\cdot t^{58}+9\cdot t^{60}+3\cdot t^{62}-8\cdot t^{65}-6\cdot t^{66}-t^{74})\cdot x^3+(-14185\cdot t^{60}+12372\cdot t^{62}+4710\cdot t^{64}-1508\cdot t^{66}-12687\cdot t^{68}-8184\cdot t^{69}+3120\cdot t^{70}+4416\cdot t^{71}+1640\cdot t^{72}+2304\cdot t^{73}+72\cdot t^{74}+96\cdot t^{75}-2027\cdot t^{76}-6984\cdot t^{77}-499\cdot t^{78}-192\cdot t^{79}+826\cdot t^{80}-96\cdot t^{81}+300\cdot t^{82}+15\cdot t^{84}-1168\cdot t^{85}-873\cdot t^{86}-32\cdot t^{87}-24\cdot t^{88}-16\cdot t^{89}-12\cdot t^{90}-146\cdot t^{94}-4\cdot t^{96}-2\cdot t^{98})\cdot x^2+y^2+(-17400\cdot t^{80}-28370\cdot t^{82}-1813\cdot t^{84}+11388\cdot t^{86}-11449\cdot t^{88}-9280\cdot t^{89}-25310\cdot t^{90}-16368\cdot t^{91}-9273\cdot t^{92}-3768\cdot t^{93}+3184\cdot t^{94}+4480\cdot t^{95}-1318\cdot t^{96}-5760\cdot t^{97}-5214\cdot t^{98}-13968\cdot t^{99}-3561\cdot t^{100}-7192\cdot t^{101}+61\cdot t^{102}-192\cdot t^{103}+703\cdot t^{104}-1208\cdot t^{105}-714\cdot t^{106}-2336\cdot t^{107}-1745\cdot t^{108}-1200\cdot t^{109}-899\cdot t^{110}-32\cdot t^{111}-24\cdot t^{112}-8\cdot t^{113}-151\cdot t^{114}-292\cdot t^{116}-150\cdot t^{118}-4\cdot t^{120}-t^{122})\cdot x$$

The vertices of the tropical curve are:

$$(-20, -50)$$



The Newton subdivision of the tropical curve is: