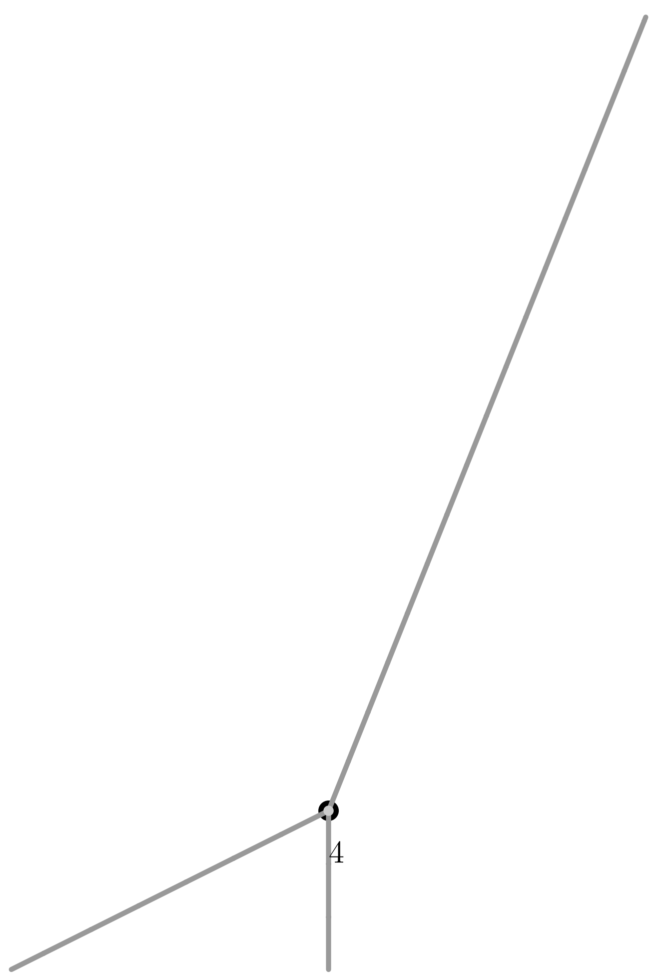
The Tropicalisation of

$$f = -x^5+(-163\cdot t^{20}+2\cdot t^{22}+t^{24}-24\cdot t^{28}+8\cdot t^{29}-4\cdot t^{36}+t^{38})\cdot x^4+(-1483\cdot t^{40}+310\cdot t^{42}+155\cdot t^{44}-2934\cdot t^{48}+1360\cdot t^{49}+36\cdot t^{50}-16\cdot t^{51}+18\cdot t^{52}-8\cdot t^{53}-705\cdot t^{56}+144\cdot t^{57}+176\cdot t^{58}+t^{60}-t^{62}-72\cdot t^{64}+24\cdot t^{65}+18\cdot t^{66}-6\cdot t^{72}+3\cdot t^{74})\cdot x^3+(7695\cdot t^{60}+486\cdot t^{62}+243\cdot t^{64}-17796\cdot t^{68}+21384\cdot t^{69}+3720\cdot t^{70}-2592\cdot t^{71}+1860\cdot t^{72}-1296\cdot t^{73}-20570\cdot t^{76}+16320\cdot t^{77}+3509\cdot t^{78}-192\cdot t^{79}+94\cdot t^{80}-96\cdot t^{81}-162\cdot t^{82}-6732\cdot t^{84}+3584\cdot t^{85}+2112\cdot t^{86}-32\cdot t^{87}+12\cdot t^{88}-16\cdot t^{89}-12\cdot t^{90}-921\cdot t^{92}+288\cdot t^{93}+454\cdot t^{94}-t^{96}-2\cdot t^{98}-72\cdot t^{100}+24\cdot t^{101}+36\cdot t^{102}-4\cdot t^{108}+3\cdot t^{110})\cdot x^2+y^2+(77112\cdot t^{80}-19278\cdot t^{82}-9639\cdot t^{84}+46170\cdot t^{88}+88128\cdot t^{89}+2916\cdot t^{90}-22032\cdot t^{91}+1458\cdot t^{92}-11016\cdot t^{93}-45693\cdot t^{96}+128304\cdot t^{97}+22662\cdot t^{98}-15552\cdot t^{99}+3069\cdot t^{100}-7776\cdot t^{101}-1377\cdot t^{102}-53004\cdot t^{104}+70344\cdot t^{105}+20190\cdot t^{106}-3168\cdot t^{107}+132\cdot t^{108}-1584\cdot t^{109}-972\cdot t^{110}-20383\cdot t^{112}+18048\cdot t^{113}+9319\cdot t^{114}-192\cdot t^{115}-133\cdot t^{116}-96\cdot t^{117}-198\cdot t^{118}-3798\cdot t^{120}+2224\cdot t^{121}+2292\cdot t^{122}-16\cdot t^{123}-6\cdot t^{124}-8\cdot t^{125}-12\cdot t^{126}-379\cdot t^{128}+144\cdot t^{129}+280\cdot t^{130}-t^{132}-t^{134}-24\cdot t^{136}+8\cdot t^{137}+18\cdot t^{138}-t^{144}+t^{146})\cdot x$$

The vertices of the tropical curve are:

$$(-20,-50)$$



The Newton subdivision of the tropical curve is: