## SOLUTION 9.5 # 23

## MATH 153 SP01

Try Integral test here ... it works quite ok (if you remember the fact that "n" beats "ln", that is,  $\lim \frac{\ln(n)}{n}=0$ )

$$\int \frac{\ln(x)}{x^2} dx =$$

$$= \int \frac{1}{x} \ln(x) \frac{1}{x} dx$$

 $=\int \frac{1}{x}\ln(x)\frac{1}{x}\,dx$ take  $y=\ln(x)\Rightarrow x=e^y$  and  $dy=\frac{1}{x}\,dx$  and get

$$\int \frac{1}{e^y} \cdot y \, dy = \int y e^{-y} \, dy$$

and now go for integration by parts etc - it's a good exercise to remember how to integrate :)

I'll leave the pleasure of computing this to you. In any case, you get it's convergent.

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