

**Math 1166: Homework 8**  
**Due: Thursday, April 18th**

1) Recall the method in Euclidean geometry of constructing an equilateral triangle on a given segment. Suppose a “city geometry compass” draws a city geometry circle. Imagine using such a “city geometry compass” below.

- (a) Construct a “city geometry equilateral triangle” on the segment defined by the points  $(0, 0)$  and  $(4, 0)$ . Explain your steps.
- (b) Now construct a “city geometry equilateral triangle” on the segment defined by the points  $(0, 0)$  and  $(2, 2)$ . Explain your steps.
- (c) Will the construction always give a (unique!) equilateral triangle? What does “unique” mean in this context? Give a detailed discussion.

2) Consider the following equations:

$$\begin{array}{lll} x^2 - y^2 = 0 & y = \pm x & y = \pm|x| \\ (y - x)(y + x) = 0 & x = \pm y & |y| = |x| \end{array}$$

- (a) Which equations are equivalent to which other equations? Say how you know. Be sure to state what it means for the equations to be equivalent.
- (b) For each set of equivalent equations, graph the solution set, and describe how each of the equations provides a different way about thinking about that solution set.

3) Do problem 5.3.10.